

## Effect of # of samples and # of subsamples on se(mean)

Notation:

C: number of containers per treatment

P: number of plants per container

$\sigma_C^2$ : Variance component between containers

$\sigma_P^2$ : Variance comp. btwn plants in same container

Basic formulae:

$$\text{Var}(\text{mean}) = \frac{\sigma_C^2}{C} + \frac{\sigma_P^2}{C \times P}$$

$$\text{se}(\text{mean}) = \sqrt{\text{Var}(\text{mean})}$$

Examples:

In all, start with 2 containers, 3 plants per container.

What happens to se(mean) when add more containers, more plants per container, both, or more containers and fewer plants per container so still 6 total plants?

1. large variability between containers, small variability between plants,  $\sigma_C^2 = 3.5$ ,  $\sigma_P^2 = 0.30$

	C	P	total plants	Var(mean)	s.e. mean	
	2	3	6	1.80	1.34	
more plants	2	6	12	1.78	1.33	s.e. similar
	2	3	6	1.80	1.34	
more cont.	4	3	12	0.90	0.95	s.e. smaller
both	4	6	24	0.89	0.94	no addn. reduction
	2	3	6	1.80	1.34	
more cont., smaller P	6	1	6	0.63	0.79	much smaller

2. small variability between containers, large variability between plants,  $\sigma_C^2 = 0.2$ ,  $\sigma_P^2 = 10.2$

	C	P	total plants	Var(mean)	s.e. mean	
	2	3	6	1.80	1.34	
more plants	2	6	12	0.95	0.97	smaller s.e.
more cont.	4	3	12	0.90	0.95	smaller s.e.
up, down	6	1	6	1.73	1.31	similar to initial

3. large variability between containers, same variability between plants,  $\sigma_C^2 = 2.7$ ,  $\sigma_P^2 = 2.7$

	C	P	total plants	Var(mean)	s.e. mean	
	2	3	6	1.80	1.34	
more plants	2	6	12	1.58	1.26	bit smaller
more cont.	4	3	12	0.90	0.95	smaller s.e.
up, down	6	1	6	0.90	0.95	smaller s.e.